

# Kinetic Compensation Effect in the Thermal Decomposition of Biomass in Air Atmosphere

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## ABSTRACT

The wood and leaf samples of eight species are examined by non-isothermal means to determine the mass loss kinetics of the thermal decomposition with linear temperature programming in air atmosphere. A simple kinetic description is developed based on the experimental results and integral analysis method. In the model, the mass loss process consists of three steps. The first step corresponds to the water evaporation, and the subsequent two mass loss steps are mainly due to two major pseudo components. The two pseudo components decompose respectively at two separate temperature regions. Under this kinetic scheme, the kinetic compensation effect is analyzed and it is found that the kinetic parameters  $E$  and  $A$  resulted from the variation of the species and the variation of model functions exhibit kinetic compensation effect. Quantitative and statistical criterion to distinguish between real and false compensation effect is discussed in detail.

**KEY WORDS:** cellulosic materials, thermal decomposition, kinetic modeling, kinetic compensation effect

## INTRODUCTION

Biomass is frequently implicated in fire incidence. On the fire triangle of heat, fuel and oxygen, the rate of mass loss due to thermal decomposition determines the available fuel. To a lesser extent, the mass loss rate also determines the heat release rate, since the heat release rate in the fire can be modeled by the product of the heat of combustion and the mass of fuel burned. Understanding the thermal decomposition of biomass and at the same time obtaining the kinetic parameters are of great importance for the modeling of biomass combustion and fire propagation and thermochemical conversion processes.

During the past several decades, it has been found that for the kinetic parameters, i.e. the pre-exponential factor  $A$  and the activation energy  $E$ , kinetic investigations of heterogeneous solid-gas decompositions often reveal the validity of the following relationship between  $E$  and  $A$ :

$$\ln A = aE + b \quad (1)$$

where  $a$  and  $b$  are constant coefficients for a series of related rate process. This relationship is referred to as the “kinetic compensation effect (KCE)”, and here the so-called “compensation” means that the reduction in rate which is expected to result from an increase in activation energy does not occur for the set of reactions obeying Eq.

(1), due to a compensatory increase of  $A$ . In other words, it reflects a compensation effect between the exponential and pre-exponential factors in the Arrhenius equation.

In traditional kinetic studies involving homogeneous reactions, the evaluation of the kinetic parameters assumed importance because they were considered to be indicative of the reaction mechanism. However, in the case of heterogeneous reactions taking place in the solid state, both these parameters lose their relevance because the concepts of “order of reaction” and “concentration” are not applicable. Hence,  $E$  and  $A$  values have little physical significance. It is also evident from the literature that the value of  $E$  depends heavily on various experimental factors such as sample size, particle size and its distribution, heating rate, presence of impurities in the sample, gaseous atmosphere in and around the sample etc. Thus we may ask whether the experimentally determined Arrhenius parameters have any relevance to their practical application. The KCE in fact provides a possible means to predict the effects of experimental factors on kinetic parameters. According to this relationship, for any change in the experimental activation energy arising from the variation of experimental conditions, a corresponding change in  $A$  also occurs, thus we could correlate the different parameters under different experimental conditions [1]. True KCE can prove to be useful in chemical research for identifying the governing reaction mechanism; predicting effects of various parameters on reactions; predicting Arrhenius parameters when limited data is available; separating the effects of surface and bulk properties; and optimizing process design [2].

The purpose of this paper is to examine the KCE relationship existing in the thermal decomposition of biomass materials. For biomass decomposition, the KCE relationship, if available, would help correlate the kinetic parameters under different experimental conditions, and thus be useful for the modeling of biomass combustion. We emphasize on the KCE resulted from the species variation and model variation. The criterion to recognize a real KCE relationship is also investigated.

## EXPERIMENTAL

The raw materials used in the investigation were respectively the wood and leaf of fir, banana shrub, tea tree, waxberry, holm oak, heath, masson pine and nanmao collected from Qimen forest zone of China (Table 1). These materials were first cut and then ground, thereby the average particle size was specified to be approximately 40  $\mu\text{m}$ . The grains of the sample were evenly distributed over the open sample pan of 5mm diameter, loosely, with the initial amounts of the samples all kept to be 10mg or so. The depth of the sample layer filled in the pan was about 0.5mm. Thermal decomposition was observed in terms of the overall mass loss by using a STA 409C Thermobalance. Temperature calibration of TGA was carried out with special concern, since in this device the thermocouple was not in direct contact with the sample. An air stream was continuously passed into the furnace at a flow rate of 60ml/min (at normal temperature and atmospheric pressure). The temperature was increased to 750 at a rate of 10 /min. The heating rate of this order is generally considered able to ensure that no temperature gap exists between the sample and its surroundings [3]. In order to test the transport effect under this heating rate and sample mass condition, we especially carried out the experiments using the masson pine as an example with different sample masses for which the least being 4mg and the most being 10.6mg. The result indicated that the

**Table1. Features of the thermogravimetric curves for wood and leaf samples in air**

Sample	Symbol <sup>a</sup>	$T_{m1}$ ( ) <sup>b</sup>	$T_{m2}$ ( ) <sup>c</sup>	$T_{90\%}$ ( ) <sup>d</sup>	Moisture (%)	Volatiles (%)	Ash (%)
Fir	LF	332	460	484	8.0	80.6	11.4
	WF	312	442	452	12.6	81.0	6.4
Banana shrub	LB	300	492	499	5.5	80.6	13.9
	WB	300	460	472	8.7	85.1	6.2
Tea tree	LT	312	496	520	9.5	81.5	9.0
	WT	312	480	472	13.5	85.5	1.0
Waxberry	LW	316	472	482	9.7	81.1	9.2
	WW	308	448	462	8.7	86.3	5.0
Holm oak	LHO	320	492	503	10.2	85.1	4.7
	WHO	304	484	496	10.5	85.6	3.9
Heath	LH	292	452	468	10.8	80.7	8.5
	WH	276	436	457	10.2	83.5	6.3
Masson Pine	LMP	320	472	481	10.3	81.9	7.8
	WMP	312	456	466	12.2	86.6	1.2
Nanmao	LN	303	472	482	9.9	88.4	1.7
	WN	302	472	504	13.8	85.2	1.0

<sup>a</sup>The initials "L" and "W" in this column denote leaf sample and wood sample respectively.

<sup>b, c</sup> Temperatures of DTG peaks (for each sample there are two peaks)

<sup>d</sup>Temperature at 90% mass loss of the original sample

TG curves for different masses differed from each other only around the upper edge of the domain of evaluation, at temperatures starting around 500 . We regarded one of the curves as a benchmark curve and evaluated the fit of any other curve (e.g., the  $j$ th curve) relative to this benchmark curve according to the following expression:

$$\text{fit}(\%) = \left( \sum_{i=1}^{N_j} [w_{ji} - w_{bi}]^2 / N_j \right)^{0.5} \quad (2)$$

where  $w$  is the mass percentage, the subscript  $b$  refers to the benchmark curve, and  $N_j$  is the number of points on the  $j$ th curve. Acceptable agreements were achieved with the worst fit being only 2.6, indicating that the effect of the transport processes is low. This may be partly due to the low heating rate employed in this study. The sample mass loss percentage and its temperature were recorded continuously as a function of heating time. From the sample mass-loss percentage, the normalized mass-loss ratio of a sample can be determined and plotted versus the sample temperature as the TG curve. The DTG curve can then be calculated by differentiating the mass-loss ratio with respect to time or temperature (Fig. 1).

## RESULTS AND DISCUSSION

### Kinetic Model of the Mass loss Process

Following the water evaporation, two distinct DTG peaks are observed for all the samples subjected to experiments in air. When the temperature reaches relatively high, oxidation of the char residue generated in the early stage is likely to occur. The first DTG peak occurs at about 300 . Comparing the present results with those in literature [4-6] (at the same or almost the same heating rates but in nitrogen atmosphere) shows that the present first DTG peak temperature is close to that in literature, indicating that the first major mass loss is little affected by oxidation of char. From this evidence it can be concluded that the mechanism controlling this step is mainly due to the pyrolysis of hemicellulose and cellulose and partly due to lignin pyrolysis which, however, occurs in a broad temperature range generally. For different sample species, the temperature of the second DTG peak varies between 440-500 , which is much higher than that in nitrogen atmosphere [6], implying that the second major mass loss is ascribed to the combined effect of lignin pyrolysis and char oxidation.

The experimental results show that the two DTG peaks appear nearly separate in almost all the cases, indicating that the two controlling mechanisms illustrated above interact little with each other, and they take effect respectively in the lower and higher temperature ranges. This evidence leads to the basic assumption of the kinetic model, i.e. the two major mass losses can be regarded as due to two independent reactions of two pseudo components occurring respectively in the lower and higher temperature ranges. Correspondingly, the initial and residue solid mass fractions for the two separate reactions are defined respectively in the definite lower and higher temperature ranges, and the temperature corresponding to the minimum in the DTG curve is regarded as the point of separation between the two temperature ranges. Hereby the basic equations of the kinetic model can be expressed as follows

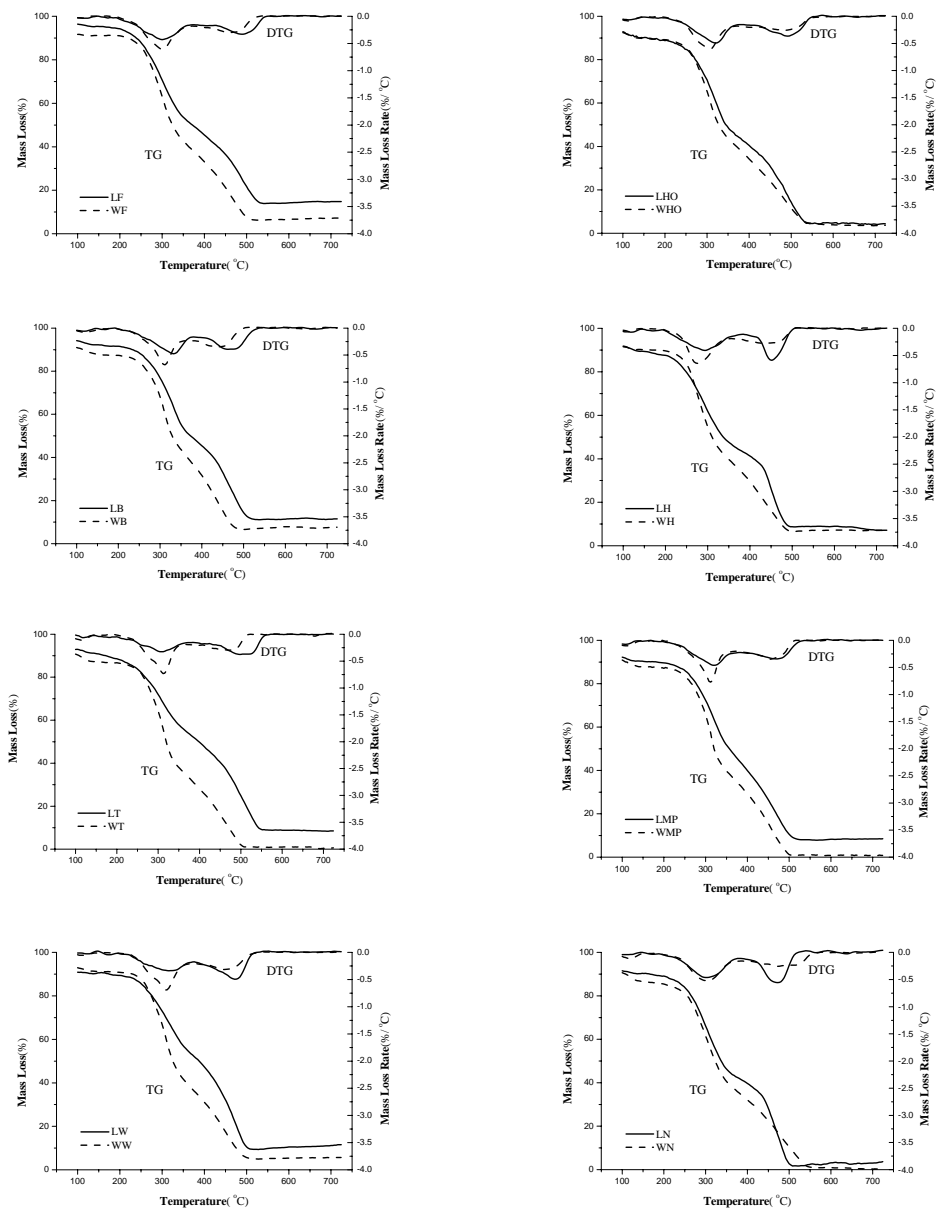


Fig. 1 - Experimental TG and DTG curves for wood ( - - - ) and leaf ( — ) samples.

$$\frac{d\alpha}{dT} = \begin{cases} \frac{w_{10} - w_{1\infty}}{w_{10} - w_{2\infty}} \frac{d\alpha_1}{dT} & T_{10} < T < T_{1\infty} \\ \frac{w_{20} - w_{2\infty}}{w_{10} - w_{2\infty}} \frac{d\alpha_2}{dT} & T_{1\infty} = T_{20} < T < T_{2\infty} \end{cases} \quad (3)$$

in which

$$\begin{cases} \frac{d\alpha_1}{dT} = \frac{A_1}{\beta} \exp(-E_1/RT) f_1(\alpha_1) & T_{10} < T < T_{1\infty} \\ \frac{d\alpha_2}{dT} = \frac{A_2}{\beta} \exp(-E_2/RT) f_2(\alpha_2) & T_{1\infty} = T_{20} < T < T_{2\infty} \end{cases} \quad (4)$$

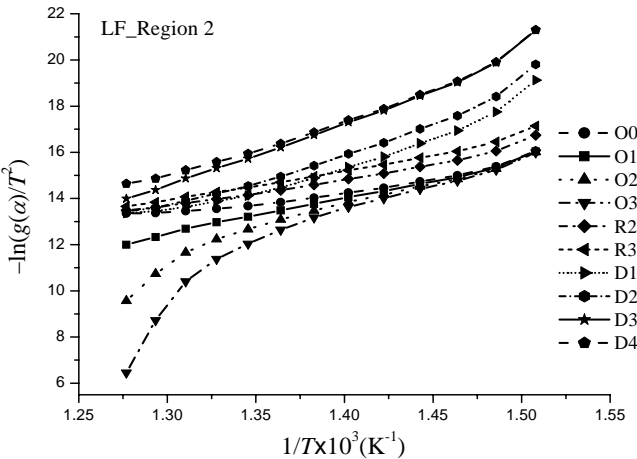
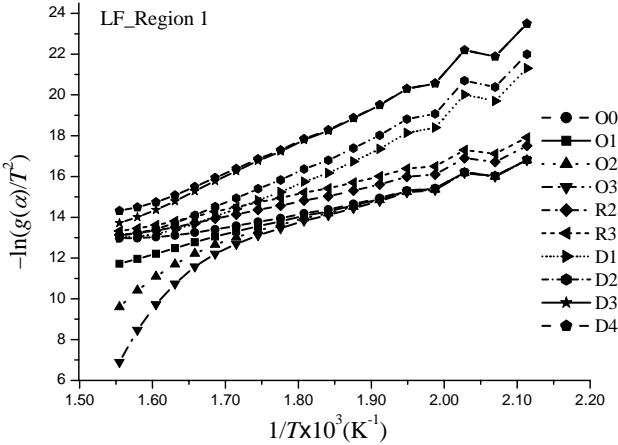


Fig. 2 - Plot of  $\ln[g(\alpha)/T^2] \sim 1/T$  for the sample of LF. Here O0, O1, O2, O3, R2, R3, D1, D2, D3, D4 represent different model functions as indicated in Table 2.

where the subscripts 1 and 2 respectively refer to the two pseudo components 1 and 2, which react respectively in the lower and higher temperature ranges. The variable  $\alpha$  is the degree of transformation of the sample itself defined globally, while  $\alpha_1$  and  $\alpha_2$  refer to the transformation of the components 1 and 2 respectively in the two temperature ranges.  $R$  is the ideal gas constant ( $8.314 \times 10^{-3} \text{ kJ mol}^{-1} \text{ K}^{-1}$ ). The parameter  $\beta$  is heating rate ( $^{\circ}\text{C/min}$ ),  $T$  is the absolute temperature of the sample, and  $w$  is the mass fraction of the sample itself. The subscripts 0 and refer to the initial and residual amounts of the raw component, respectively.  $T_{1\infty}$  (also namely  $T_{20}$ ) is the point of separation between the two temperature ranges.

Here we use the integral Coats-Redfern method [7] to perform the kinetic analysis for the TG curves, and the basic equation of this method for component  $i$

(i=1,2) is

$$\ln\left[\frac{g_i(\alpha_i)}{T^2}\right] = \ln\left\{\frac{A_i R}{\beta E_i}\left[1 - \frac{2RT}{E_i}\right]\right\} - \frac{E_i}{RT} \quad (5)$$

where  $g_i(\alpha_i)$  is the integral of the reciprocal of  $f_i(\alpha_i)$  between 0~ $\alpha_i$ . Obviously, the key of this method is the determination of the correct form of  $f_i(\alpha_i)$ (i=1,2) by trial. Based on the correct form of  $f_i(\alpha_i)$ (i=1,2), the activation energy and pre-exponential factor can be determined respectively from the slope and intercept terms of the regression line.

The calculation results show that the first order function (O1) leads to good linearity with regard to Eq. (5) for all the wood and leaf samples without exception. Taking the leaf sample of fir (LF) as an example, with 10 different functions in Table 2 used, Fig. 2 shows the plots of  $\ln[g_i(\alpha_i)/T^2] \sim 1/T$  with the kinetic scheme. By observation and the comparison of the correlation coefficients, it can be verified that the O1 function leads to the best linearity for both components 1 and 2. Similar plots are obtained for other samples, and the presentation of these plots is omitted here because of space constraint. It can be seen from Fig. 2 that for the model functions based on “order” of reaction, the plots for the functions of O2 and O3 bend down greatly, while the plot for O0 bends up slightly. It is the function of O1 that shows the best linearity. Therefore the kinetic parameters obtained by O0, O2 and O3 have no kinetic significance. However, as to be clarified in the later section, KCE can be revealed from these “pseudo” kinetic parameters.

### Kinetic compensation effect (KCE) of the kinetic parameter

KCE is often correlated with the concept of Isokinetic Point (IKP). IKP refers to a common point of intersection of Arrhenius lines (i.e.  $\ln k(T)$  versus  $T^{-1}$ ). From the Arrhenius equation we obtain

$$\ln A = \frac{1}{RT} E + \ln k \quad (6)$$

Comparing this expression with (1), we can see that for all the rate processes whose kinetic parameters are in the parameter set which satisfies (1), the corresponding Arrhenius lines have a common point of intersection ( $T_{iso}^{-1}$ ,  $\ln k_{iso}$ ):

$$T_{iso} = \frac{1}{Ra} \quad (7)$$

$$\ln k_{iso} = b \quad (8)$$

Eq. (1) can thus be rewritten as

$$\ln A = \frac{1}{RT_{iso}} E + \ln k_{iso} \quad (9)$$

Using the kinetic parameters calculated for the model function O1, we obtain the plot

$\ln A \sim E$  respectively corresponding to the two pseudo components, as shown in Fig. 3. The kinetic parameters  $E$  and  $A$  are indicated to satisfy the KCE relationship, and the two linear relations are respectively:

Component 1             $\ln A = -3.0334(\pm 0.3724) + 0.2262(\pm 0.0048)E \quad r = 0.9968$

Component 2             $\ln A = -2.5444(\pm 0.5375) + 0.1727(\pm 0.0043)E \quad r = 0.9957 \quad (10)$

where  $r$  is the correlation coefficient.  $E$  is expressed in kJ/mol and  $A$  in  $\text{min}^{-1}$ . The figures

**Table 2. Kinetic model functions  $f(\alpha)$  and corresponding  $g(\alpha)$  usually employed for the solid state reactions**

Model	$g(\alpha)=kt$	$f(\alpha)=(1/k)(d\alpha/dt)$
Reaction order		
O0	$\alpha$	1
O1	$-\ln(1-\alpha)$	$1-\alpha$
O2	$(1-\alpha)^{-1}$	$(1-\alpha)^2$
O3	$(1-\alpha)^{-2}$	$(1-\alpha)^3$
Phase boundary controlled reaction		
R2	$1-(1-\alpha)^{1/2}$	$2(1-\alpha)^{1/2}$
R3	$1-(1-\alpha)^{1/3}$	$3(1-\alpha)^{2/3}$
Diffusion		
D1	$\alpha^2$	$1/2\alpha$
D2	$(1-\alpha)\ln(1-\alpha)+\alpha$	$[-\ln(1-\alpha)]^{-1}$
D3	$[1-(1-\alpha)^{1/3}]^2$	$3/2(1-\alpha)^{2/3}[1-(1-\alpha)^{1/3}]^{-1}$
D4	$(1-2\alpha/3)-(1-\alpha)^{2/3}$	$3/2[(1-\alpha)^{-1/3}-1]^{-1}$

in brackets represent errors limits at 95% confidence for the reported parameters. As indicated above, many factors variation can lead to the KCE relationship. However, the KCE relationship due to species variation has rarely been reported so far. It should be noted that in the study of the pyrolysis of pitch, a similar KCE relationship was reported [8]. The author used four kinds of pitch materials, and at the same time adopted the Ozawa method, Friedman method, and Doyle method to calculate the kinetic parameters. The kinetic parameters due to the species and method variations were found to satisfy a good KCE relationship.

As we know, although the true energy barrier may be related to the calculated value of  $E$  in the solid state reaction kinetics, its true relationship will not be clear until a definition or the significance for a “mole of solid” is established. Hence, in order to avoid confusion and to distinguish the difference between gas phase and solid state reactions,  $A$  should be called the pre-exponential factor rather than the frequency factor, and  $E$  should be called the apparent activation energy. However, from the present analysis we can see that the two pseudo components respectively satisfy two distinct KCE relations, which is consistent with the fact that the mass losses in these two temperature regions are respectively controlled by two different kinetic processes. This implies that KCE relations, although based on apparent kinetic parameters, to some degree reveal the reaction mechanism. The KCE relation to some degree provides a clue to recognize whether or not the obtained parameter set ( $E, A$ ) fit the same mass loss kinetics: If two



parameter sets ( $E$ ,  $A$ ) satisfy two different KCE relations, then different kinetics may be correlated with them.

Then, if two sets ( $E$ ,  $A$ ) satisfy the same KCE relation, can it be concluded that they satisfy the same kinetic expressions? The answer seems to be No. We shall clarify this point in the following paragraphs.

Although the model function O1 has been verified to be the most reasonable kinetic description of the biomass decomposition in this study, “Pseudo” kinetic parameters can be calculated by different reaction orders. The plots of  $\ln A \sim E$  for all the samples are indicated in Fig. 4. It’s obvious that for the two pseudo components, very high correlation coefficients of the plots are achieved. The regression straight lines are respectively

$$\text{Region 1: } \ln A = -3.4943(\pm 0.1364) + 0.2327(\pm 0.0014)E \quad r = 0.9978$$

$$\text{Region 2: } \ln A = -2.8534(\pm 0.2116) + 0.1727(\pm 0.0011)E \quad r = 0.9976 \quad (11)$$

This KCE is derived from the model variation, and so it is believed to be lack of chemical significance. In this sense it can be called “pseudo KCE”. The implication of this “pseudo KCE” has not yet been realized. However, It can be concluded that, when different parameter sets ( $E$ ,  $A$ ) are found to satisfy a specific KCE relation, it’s still possible that they support different kinetic descriptions.

### 3.2. On the criterion to distinguish between true and false kinetic compensation effect

As clarified earlier, the KCE relation is in fact equivalent to the so called isokinetic effect. In the coordinate of  $\ln k \sim 1/T$ , the straight lines corresponding to different kinetic

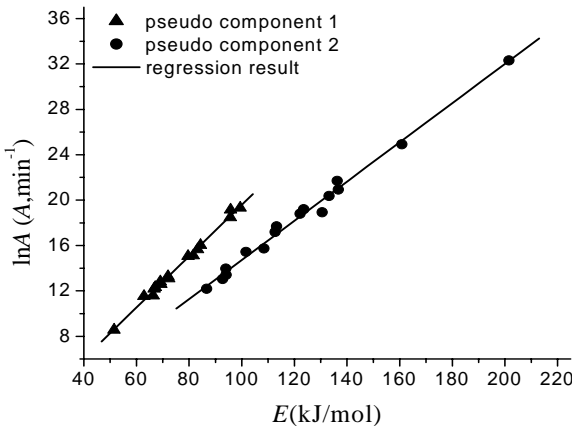


Fig. 3 - Compensation plot of kinetic parameters for all samples (due to species variation).

parameters ( $A$ ,  $E$ ) which satisfying KCE relation have a common interaction point ( $1/T_{iso}$ ,  $\ln k_{iso}$ ). Agrawal [9] claimed a criterion to recognize the KCE relation, i.e. KCE relation exists only if the plots  $\ln k \sim 1/T$  display concurrence at a single point. If a series of reaction displays the linear plot of  $\ln A \sim E$  with relatively high correlation coefficient, but fails to display a single point of concurrence, then the system exhibits a false compensation effect.

Agrawal used a few examples in literature to justify his viewpoint. This criterion is correct in theory, but is obviously too restrictive to meet. Later, Agrawal did not persist in his original rigorous procedures. In one of his papers [2] he clarified that in

actual experimental data, there will be experimental errors in measuring temperature  $T$  and computational errors in determining the reaction rate constant  $k$ . Due to these errors, even if the system exhibits a true KCE, a single point of concurrence may not be observed. Instead the rates should at least appear to converge at  $T_{iso}$ . But in the face of so

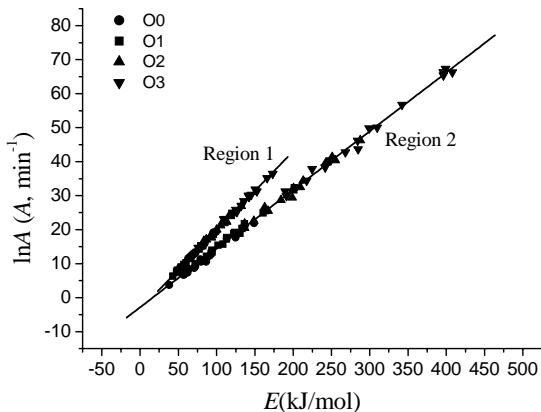


Fig. 4 - Compensation plot of kinetic parameters for all samples and reaction order models ( $n=0, 1, 2, 3$ ) (due to species variation and model simultaneously).

many straight lines, how can we judge whether or not they have a trend to converge at a single point quantitatively? This is to be clarified as follows.

As indicated earlier, for the lower or high temperature range, the kinetic parameters for different order functions indicate linear relations between  $\ln A$  and  $E$ . Here and in the following discussion we use the mass loss process of the pseudo component 1 which occur in the lower temperature range as the

example to illustrate our point. Fig. 5 indicates the plot of  $\ln k$  versus  $T^{-1}$  for all the kinetic parameters for different order functions. Obviously these straight lines don't have a common point of intersection, however they tend to converge at a single point. We now define a measure to characterize this tendency quantitatively.

As we know, whether or not the effect is a real or false compensation effect, the  $\ln k_{iso}$  and  $1/T_{iso}$  can be proximately evaluated from Expression (11). For each straight line in

Fig. 5,  $(\ln k)|_{T=T_{iso}}$  can be calculated. In fact,  $(\ln k)|_{T=T_{iso}}$  can be looked at on as a random variable since the straight lines in Fig. 5 are independent of each other. The value of  $\ln k_{iso}$  can be looked on as the predicted value of  $(\ln k)|_{T=T_{iso}}$ . Thus all the

$(\ln k)|_{T=T_{iso}}$  values obtained can be looked as the random samples. When the number of samples is relatively high (generally higher than 50),

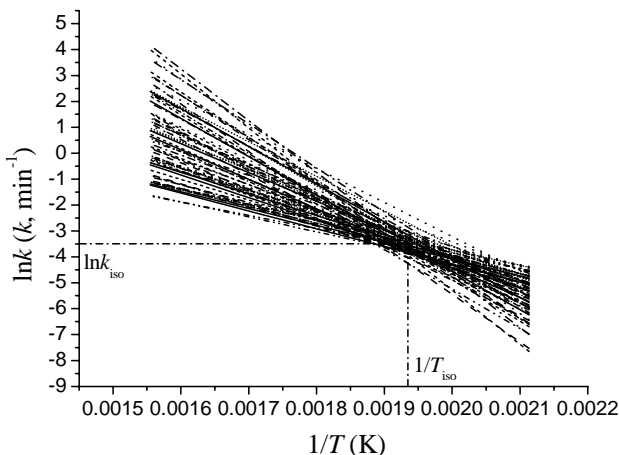


Fig. 5 - Plot of  $\ln k$  versus  $T^{-1}$  for all the samples and reaction order models ( $n=0, 1, 2, 3$ ) (due to species variation and model variation simultaneously).

the mean value of the samples can be used as the estimation. If the estimation of  $(\ln k)|_{T=T_{iso}}$  prove to be close to  $\ln k_{iso}$ , then the compensation effect obtained are recognized to be a true KCE.

By the above procedure we obtain that the mean value of  $(\ln k)|_{T=T_{iso}}$  is -3.4929, which is very close to -3.4943 as indicated in Expression (11), and the standard deviation of the mean value is 0.04. This result indicates that the KCE obtained in this paper is a real compensation effect, although the implication of the so-called “pseudo compensation effect” due to model variation is not yet clear.

## CONCLUSIONS

- In this paper, the model function of first order gives the best fits to the experimental data of the thermal decomposition of biomass compared with other model functions. This result suggests the possibility that “first order” reflects the real mechanism. However at present there is no direct evidence that this is so, and we merely regard this rate law as providing the best engineering fit to the data.
- The kinetic parameters  $E$  and  $A$  of biomass decomposition derived from the species variation the variation of model functions exhibit the kinetic compensation effect. When different parameter sets ( $E, A$ ) are found to satisfy a specific KCE relation, it's still possible that they support different kinetic descriptions.
- The  $(\ln k)|_{T=T_{iso}}$  can be used a random variable to help distinguish between real and false compensation effect Quantitatively by statistical means.

## NOMENCLATURE

$A$  = apparent pre-exponential factor ( $\text{min}^{-1}$ )

$E$  = apparent activation energy ( $\text{kJ/mol}$ )

$n$  = apparent reaction order

$r$  = correlation coefficient

$R$  = gas constant ( $\text{kJ} \cdot \text{K}^{-1} \cdot \text{mol}^{-1}$ )

$T$  = absolute temperature (K)

$T_0$  = initial decomposition temperature (K)

$T_{m1}, T_{m2}$  = the temperatures of the DTG peaks (K)

$T_f$  = final decomposition temperature (K)

$w$  = sample mass percentage

$w_0$  = initial sample mass percentage

$w_\infty$  = residual sample mass percentage

$\alpha$  = mass loss fraction

$\beta$  = heating rate ( $\text{K/min}$ )

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